

Electron Identification
Again...
Very Preliminary

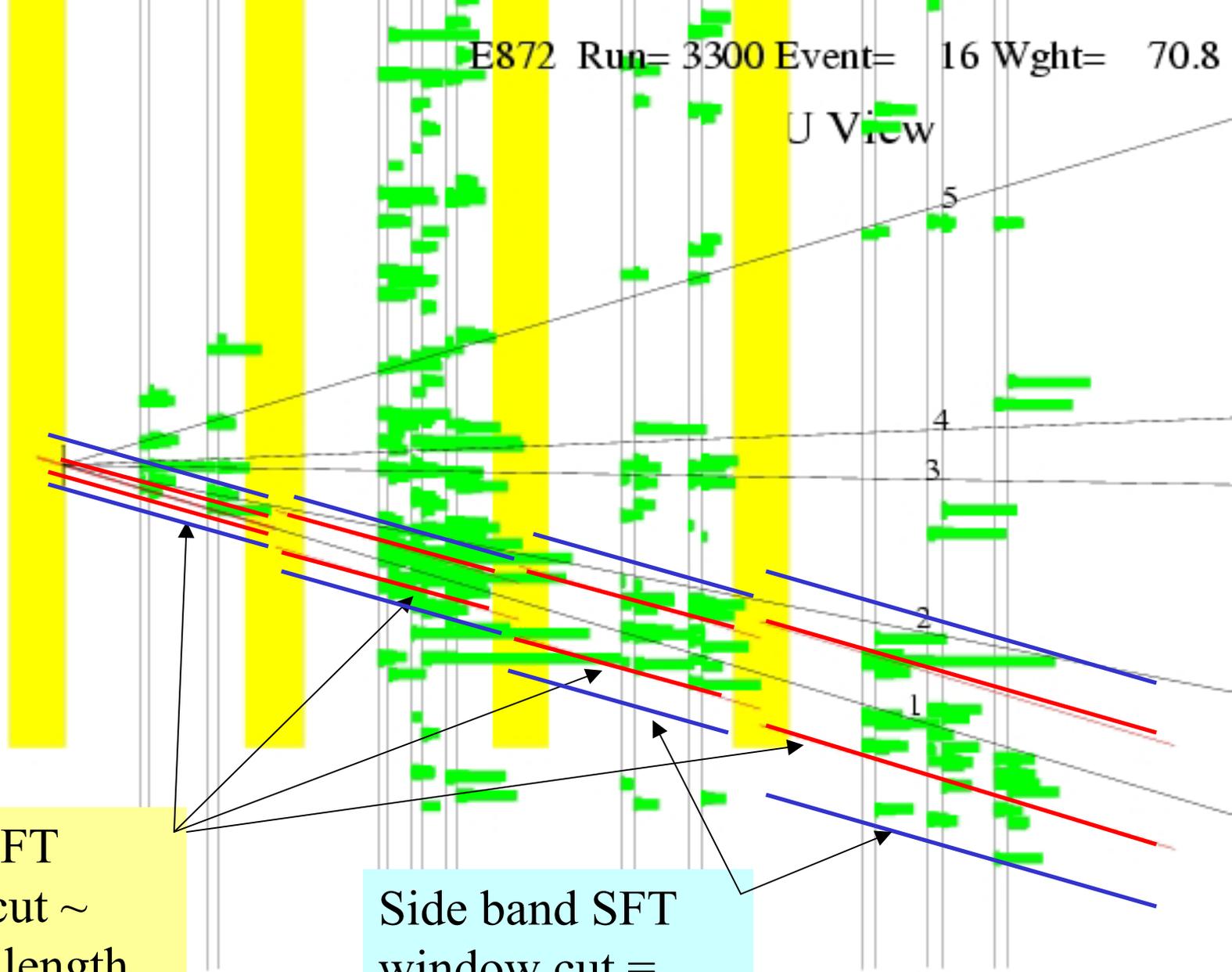
Bruce Baller
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Electron ID code released

- Uses Pulse Height summation scheme described earlier
 - Sum PH in each station and view (next slide)
 - Sum PH in side bands
 - Compare PH in each view to minimize overlap
- Electron ID efficiency $\sim 80\%$ for $E > 20$ GeV
- Hadron ID efficiency $\sim 94\%$
- The code fails badly on some obvious “by-eye” events
- Why?
 - Tracks are handled separately
 - Cuts use PH at shower max only, PH difference between views

E872 Run= 3300 Event= 16 Wght= 70.8

U View



Central SFT
window cut ~
radiation length

Side band SFT
window cut =
Central cut width

A Different Scheme

- Compare the SFT pulse height distribution in U,V,X in each plane with the expected distribution for various electron energies and track assignments
 - Expect better discrimination using longitudinal and transverse shower development information
 - Expect better discrimination at the edges of the SFT
- Use Particle Data Book (Grindhammer 2000) parameterization of GEANT EM radial and longitudinal energy deposition
 - Inadequate match to MC SFT showers
- Use E872MC generated electron showers to define the “expected distribution”
 - “Histo scheme”

Defining the “Expected Distribution”

- Generated 1k electrons in period 4 along the $z=0$ axis
- Equal # of events with energies of 10, 20, 40 and 60 GeV
- Events generated in all targets
- Standard Geant thresholds

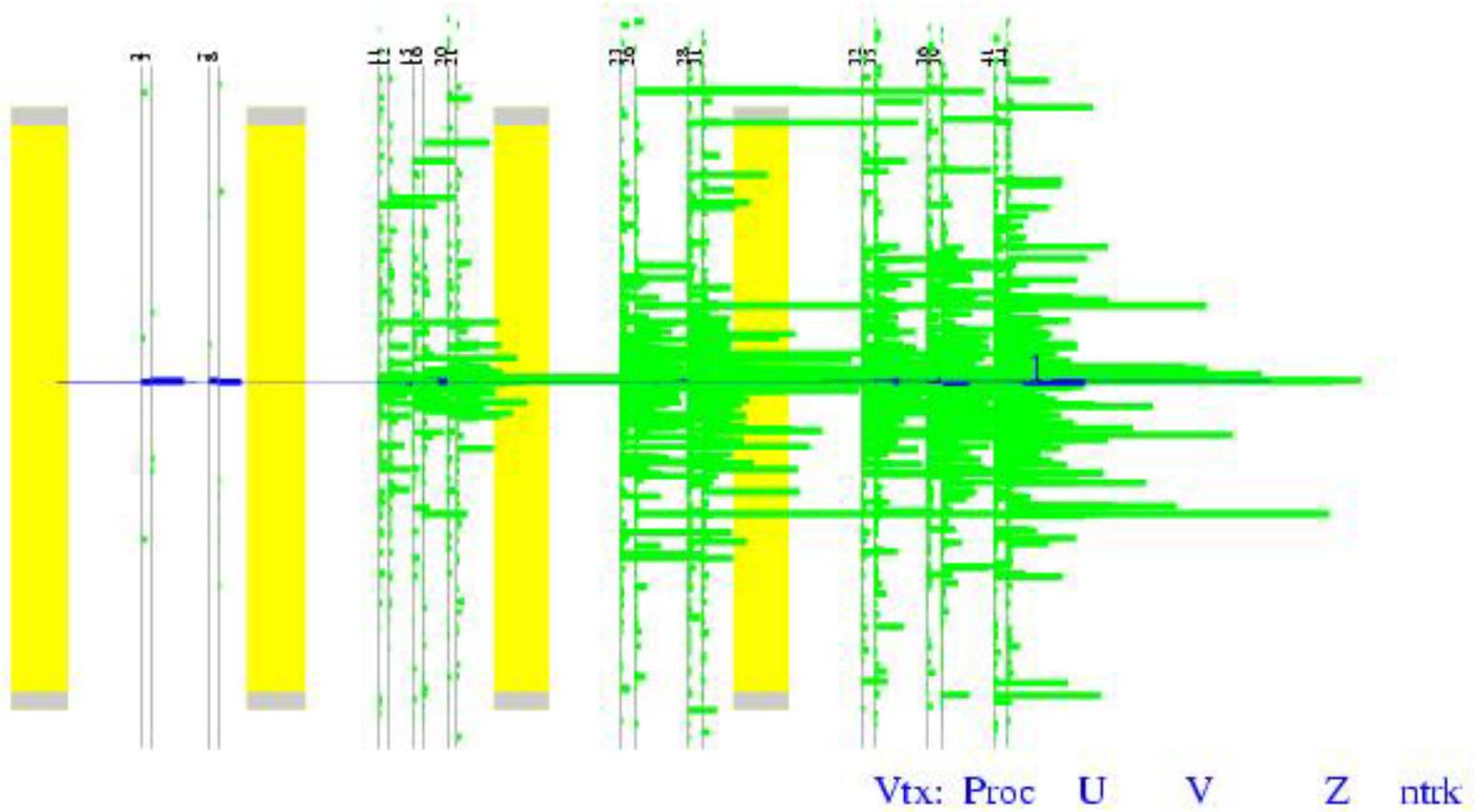
Histo scheme - Parameterization (eidhist)

- Define 4 radiation length (t) bins ($2 < t < 10$)
- Define 4 electron energy bins (0-15, 15-30, 30-50, 60+)
- Create a temporary histogram (array) of 80 1 cm bins for one SFT plane – Fill with hit pulseheights
- Remove spikes due to slow particles
 - “Spike” = Bin with PH > 5 MIP’s and adjacent bins $< 20\%$ of the central bin
- Define a “folded” SFT shower shape histogram of size 40 (cm) x 4 (t bins) x 4 (E bins)
 - Folding is done around the track projection (Z axis)

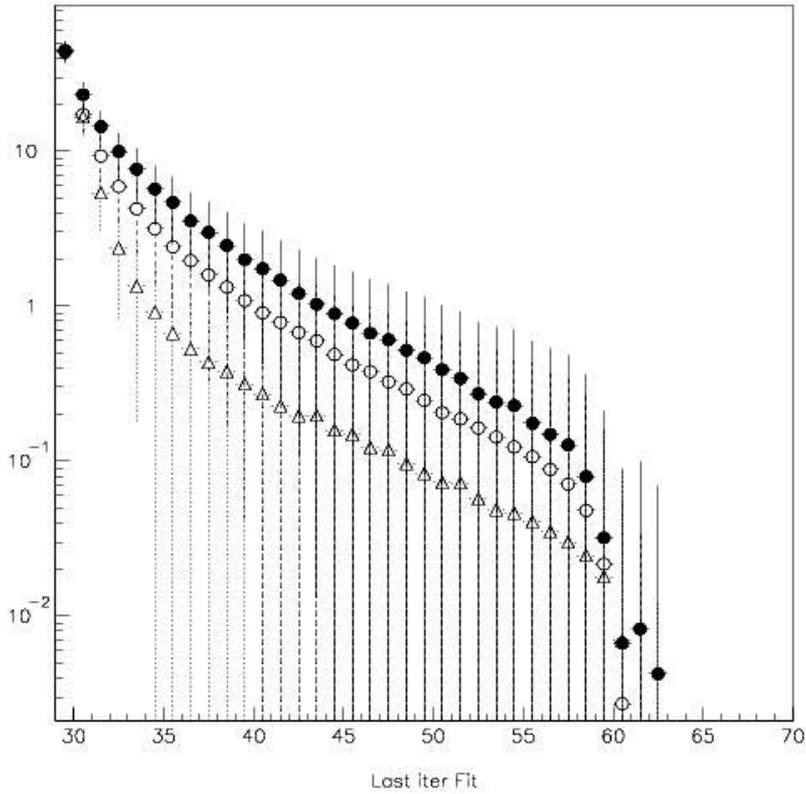
Histo Scheme - Parameterization

- Fill the folded histogram and write the averaged shower shape histogram (and error histogram) to file
- Determine EMCal response (eid_emclu.sf)
 - Sum EMCal clusters within $\text{abs}(Y) < 20 \text{ cm}$ and $\text{abs}(X) < 10 \text{ cm} = \Sigma(\text{Eclus})$
 - Create 4 t bins with $0 < t < 10$
 - Determine average $\Sigma(\text{Eclus})$, error and the expected Y deviation error (δY) between the track intersection and the center of energy in the window for each t and E bin
 - Write results to file
- The folded SFT histogram is the “expected” shower distribution for an electron with E,t in an average sense
 - The file (eid.dat) would reside in the E872code area

60 GeV Electron



60 GeV Electron



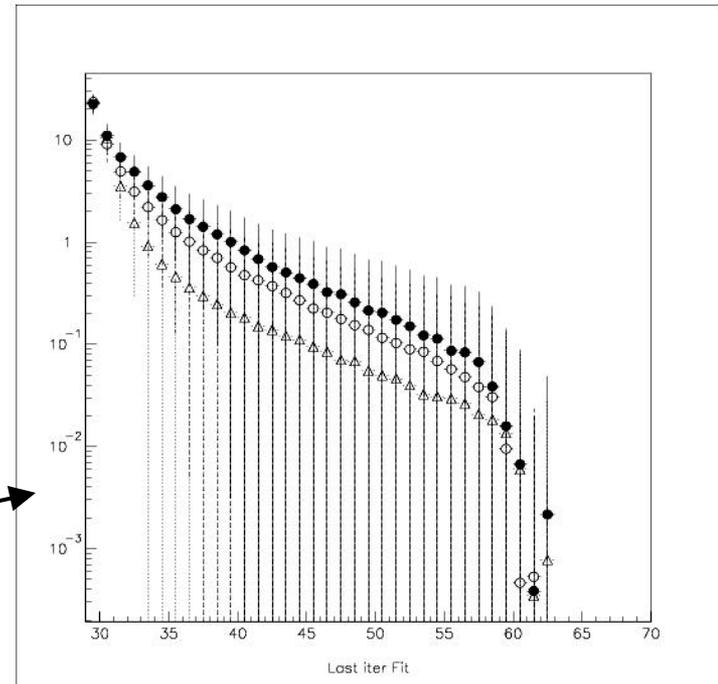
Folded shower histo for

$t=2.6 X_0$ \triangle

$t=4.7 X_0$ \circ

$t=6.7 X_0$ \bullet

20 GeV Electron

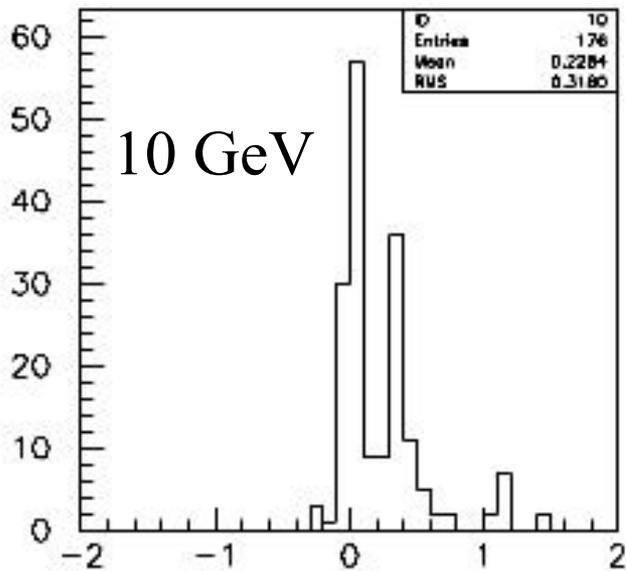


Histo Scheme – Setup (eidanal)

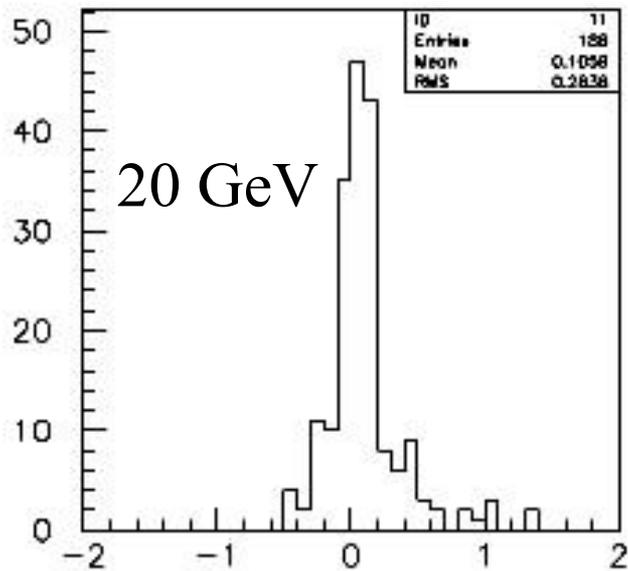
- Create 3 histograms in U,V,X of size 80 x 1 cm for each SFT plane
 - PHPL: Fill with hit pulseheights and remove spikes
 - PHTR: Fill with expected distribution
 - PHTRS: Fill with errors in the expected distribution
- Project each track to each plane and determine the track intersection bin (tkbin)
 - Get a rough estimate of the electromagnetic energy by summing the SFT PH near the track
 - Hadrons that lie near a shower will have erroneous EM energy
- Sort the tracks by decreasing EM energy

Histo Scheme - Fitting

- Fill the PHTR histogram for track 1 by unfolding the folded histogram around the track intersection bin t_{kin}
 - The expected bin PH is determined by interpolation ($10 < E < 60$) or extrapolation ($E < 10$, $E > 60$)
- Calculate $\chi^2_{\text{SF}} = \Sigma(\text{PHPL} - \text{PHTR})/(\text{PHTRS} + \sigma_{\text{PH}})$
 - $\sigma_{\text{PH}} = [0.3 + 0.04 (6.5-t)^2] * \text{PHPL}$
 - χ^2 contribution where $\text{PHTR} = 0$, higher weight at shower max
- Calculate $\chi^2_{\text{EMCAL}} = (\Sigma(\text{Eclus}) - \Sigma(\text{Eclus expect}))/\text{error} + (\delta Y - \delta Y \text{ expect})/\text{error}$
- Vary E to minimize total $\chi^2 = 0.5(\chi^2_{\text{SF}} + \chi^2_{\text{EMCAL}})$
 - Use parabolic interpolation to estimate E
 - Estimate σE by finding $\chi_{\text{min}}^2 + 1$ (*not done yet*)

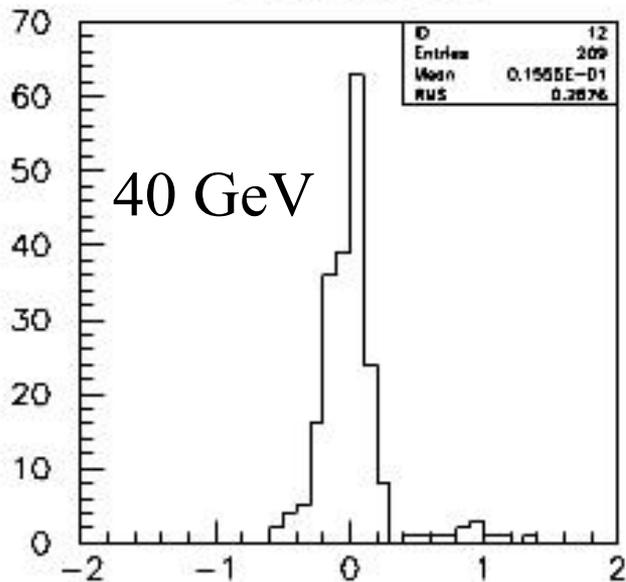


dE/Etru tru lt 15

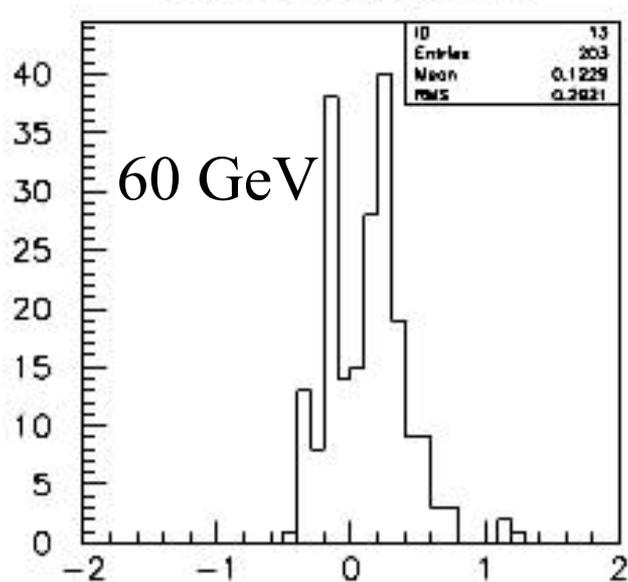


dE/Etru 15 gt tru lt 30

30% error



dE/Etru 30 gt tru lt 50



dE/Etru 50 gt tru

What's Next

- Check code using standard MC
 - Develop χ^2 cuts for electron/hadron discrimination
 - Cases with similar χ^2 for multiple electrons
 - Hadrons embedded in photon conversion showers
- Data